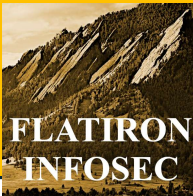


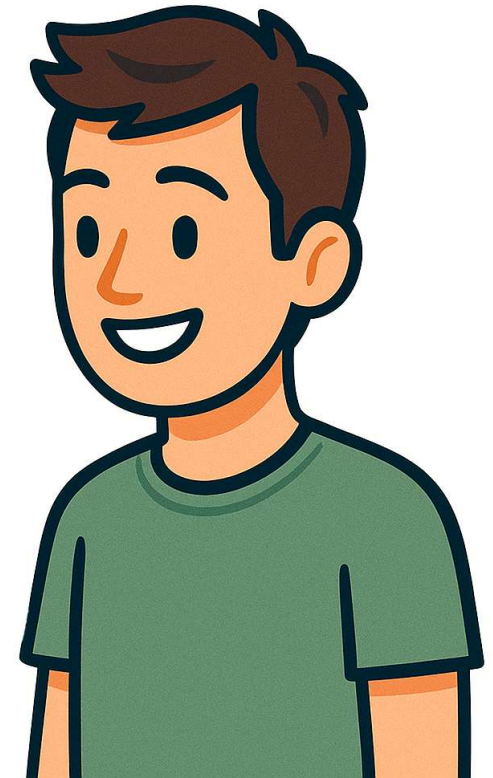
# Numbering Systems

# Language

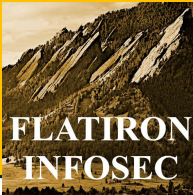


Hi Bob. I'm Alice.  
I have a request for  
you.

Hi Alice. What can  
I help you with?



# Language Continued



Hola Bob. Soy Alicia.  
Tengo una petición  
para ti.

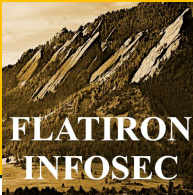
¿Qué?

I'm sorry. I don't  
understand what  
you are saying.

Huh?



# Why this matters



Language is important.

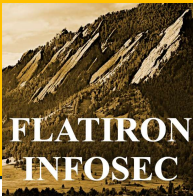
Computers speak a language we need to understand.

Important in a lot of areas, including:

- Cryptography
- Networking
- Forensics

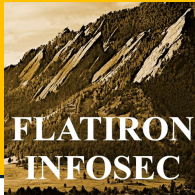
**We have an intro to networking class coming early 2026!**

# Numbers!



0101010110010100101010101  
0101010101010101010110100  
0101011010101011010100110  
1100010101011101100101100  
0100101100110011001010101

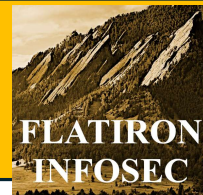
# Computer Language - Binary



- Everything is ones and zeros to a computer
- Everything a computer does; every message, image, or click is just a pattern of 1s and 0s.
- Binary is the language of all digital life.
- Software consists of instructions to put context to the numbers



# Binary



Binary is a number system different than human decimal numbers

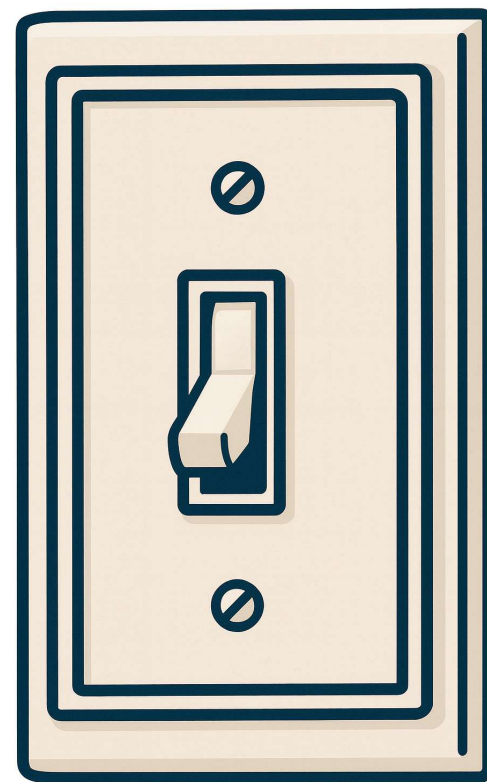
Imagine binary as a series of light switches.

Each switch is either on or off.

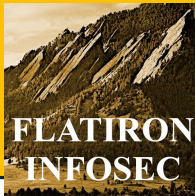
**ON = 1**

**OFF = 0**

Computers only understand these two states.



# Bits and Bytes



**Bit** - a single 1 or 0

- 2 possible values
- 0 or 1

**Byte** - eight 1s and 0s

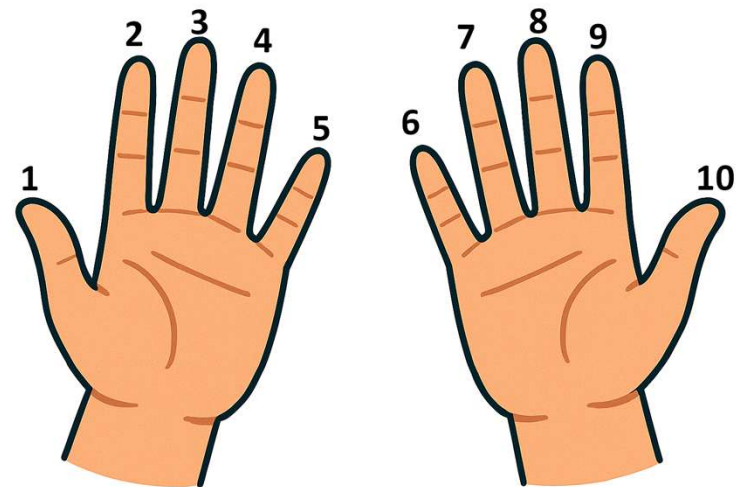
- 256 possible values
- 0 - 255

**Nibble** - four 1s and 0s

- 16 possible values
- 0 - 15

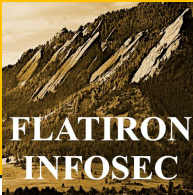
Note: Computers start counting at zero  
The lowest binary value is 0

**Base 10 - Decimal system**  
**Humanity's numbering system**





# Numbering Systems - Decimal



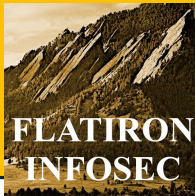
Decimal  
Base Ten  
0-9

<b>2</b>	<b>3</b>	<b>1</b>
$10^2$	$10^1$	$10^0$
<b>100</b>	<b>10</b>	<b>1</b>

---

$$200 + 30 + 1 = 231$$

# Numbering Systems - Binary

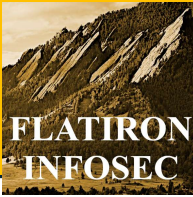


Binary	<b>1</b>	<b>1</b>	<b>1</b>	<b>0</b>	<b>0</b>	<b>1</b>	<b>1</b>	<b>1</b>
Base Two	$2^7$	$2^6$	$2^5$	$2^4$	$2^3$	$2^2$	$2^1$	$2^0$
0-1	<b>128</b>	<b>64</b>	<b>32</b>	<b>16</b>	<b>8</b>	<b>4</b>	<b>2</b>	<b>1</b>

---

$$128 + 64 + 32 + 0 + 0 + 4 + 2 + 1 = 231$$

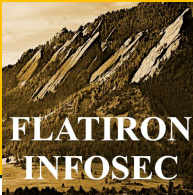
# Let's Practice!



Alice and Bob are ready to practice!  
Are you?



# Converting Bytes to Decimal



128	64	32	16	8	4	2	1
0	1	0	1	1	0	1	1
0	64	0	16	8	0	2	1
128	64	32	16	8	4	2	1
1	0	0	0	1	1	0	0
128	0	0	0	8	4	0	0
128	64	32	16	8	4	2	1
0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0

= 91

= 140

= 0



# Converting Decimal to Bytes

<b>80 =</b> <del>80 - 64 = 06</del>	128	64	32	16	8	4	2	1
	0	1	0	1	0	0	0	0
	0	64	0	16	0	0	0	0
<b>173 =</b> <del>173 - 128 = 45</del>	128	64	32	16	8	4	2	1
	1	0	1	0	1	1	0	1
	128	0	32	0	8	4	0	1
<b>255 =</b> <del>255 - 128 = 127</del>	128	64	32	16	8	4	2	1
	1	1	1	1	1	1	1	1
	128	64	32	16	8	4	2	1

# Converting Bytes to Decimal Again

128	64	32	16	8	4	2	1
0	1	0	1	0	0	0	0
0	64	0	16	0	0	= 0	80 0

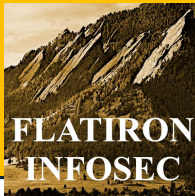
128	64	32	16	8	4	2	1
1	0	1	0	1	1	0	1
128	0	32	0	8	4	= 0	173 1

128	64	32	16	8	4	2	1
1	1	1	1	1	1	1	1
128	64	32	16	8	4	= 2	255 1

YES!



# Nibbles



8	4	2	1
1	0	1	1
8	0	2	1
8	4	2	1
0	0	0	0
0	0	0	0
8	4	2	1
1	1	1	1
8	4	2	1

= 11

16 values – 0 through 15

Hexadecimal

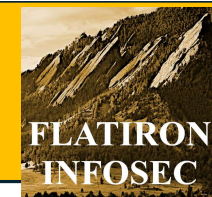
Problem!

= 0

Decimal has only 10 characters and hexadecimal has 16!



# Hexadecimal

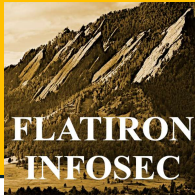


Base 16

Decimal	Hex
0	0
1	1
2	2
3	3
4	4
5	5
6	6
7	7

Decimal	Hex
8	8
9	9
10	A
11	B
12	C
13	D
14	E
15	F

# Nibbles & Hexadecimal



8	4	2	1
1	0	1	1
8	0	2	1

= **B**

8	4	2	1
0	0	0	0
0	0	0	0

= **0**

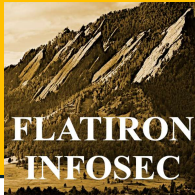
8	4	2	1
1	1	1	1
8	4	2	1

= **F**

Decimal	Hex
0	0
1	1
2	2
3	3
4	4
5	5
6	6
7	7

Decimal	Hex
8	8
9	9
10	A
11	B
12	C
13	D
14	E
15	F

# Converting Bytes to Hexadecimal



128	64	32	16	8	4	2	1
0	1	0	1	1	0	1	1
0	64	0	16	8	0	2	1

 = 91

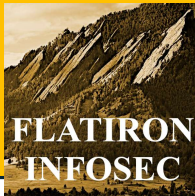
8	4	2	1
0	4	0	1

 = 5  
5

8	4	2	1
8	0	2	1

 = 11  
B

# Converting Bytes to Hexadecimal



128	64	32	16	8	4	2	1
0	1	0	1	1	0	1	1
0	64	0	16	8	0	2	1

 = 91

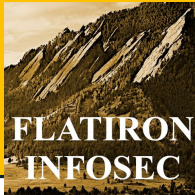
8	4	2	1
0	4	0	1

 = 5  
5

8	4	2	1
8	0	2	1

 = 11  
B

# Hexadecimal to Byte



**5 B**

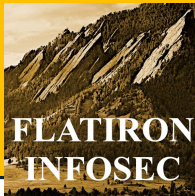
8	4	2	1
0	1	0	1
0	4	0	1

**= 5**

8	4	2	1
1	0	1	1
8	0	2	1

**= 11**

# Hexadecimal to Byte



**5**

8	4	2	1
0	1	0	1
0	4	0	1

= 5

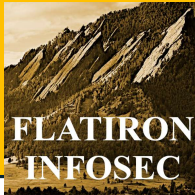
**B**

8	4	2	1
1	0	1	1
8	0	2	1

= 11

128	64	32	16	8	4	2	1
0	64	0	16	8	0	2	1

# Numbering Systems!!!



Binary

- Base 2

Decimal

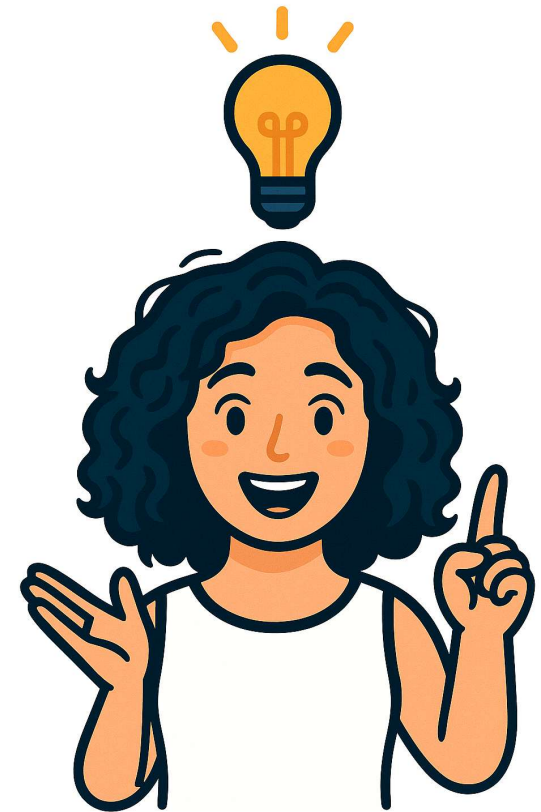
- Base 10

Hexadecimal

- Base 16

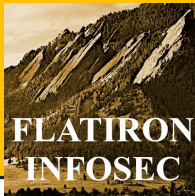
Byte

- Base 256





# Larger Decimal Numbers



2 - byte values for numbers up to 65,535

128	64	32	16	8	4	2	1	128	64	32	16	8	4	2	1
1	1	0	0	1	1	1	0	0	1	1	0	1	0	1	1
128	64	0	0	8	4	2	0	0	64	32	0	8	0	2	1

$$206 \times 256 = 52,736$$

+

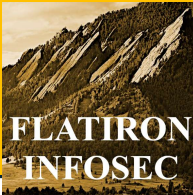
$$107$$

$$= 52,843$$

32768	16384	8192	4096	2048	1024	512	256	128	64	32	16	8	4	2	1
1	1	0	0	1	1	1	0	0	1	1	0	1	0	1	1
32768	16384	0	0	2048	1024	512	0	0	64	32	0	8	0	2	1

$$32768 + 16384 + 2048 + 1024 + 512 + 64 + 32 + 8 + 2 + 1 = 52,843$$

# Even Larger Decimal Numbers

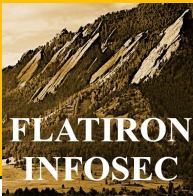


4-byte values for numbers up to 4,294,967,295

The takeaway is that every bit added to the string doubles the size of the numbers we can represent!

16-byte numbers have 340 undecillion unique numbers!

# ASCII



American Standard Code for Information Interchange  
Turns numbers into “printable characters”

1, 2, 3, 4, etc.

a, b, c, d, etc.

A, B, C, D, etc.

!, @, #, \$, etc.

Space bar, Esc key, Backspace, etc.

**Thanks for Joining Us  
Don't forget we have a  
Networking Class  
coming in 2026!**